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# ENGINEERING FILE

THE SINGLE SHOT MULTIVIBRATOR

by

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## THE SINGLE SHOT MULTIVIBRATOR

This application note offers an effective design guide for a widely used transistor circuit - The Single Shot Multivibrator. The circuit utilizes the unique advantages of the Raytheon 2N 440 Germanium fusion alloy NPN transistor. Results indicate high reliability under operating conditions of -50 C to +70 C, and extremely short rise and fall times were obtained using this circuit.

# THE SINGLE SHOT MULTIVIBRATOR

## A. CIRCUIT DESCRIPTION:

A conventional circuit for a mono-stable flip-flop or single-shot is shown in Figure 1.

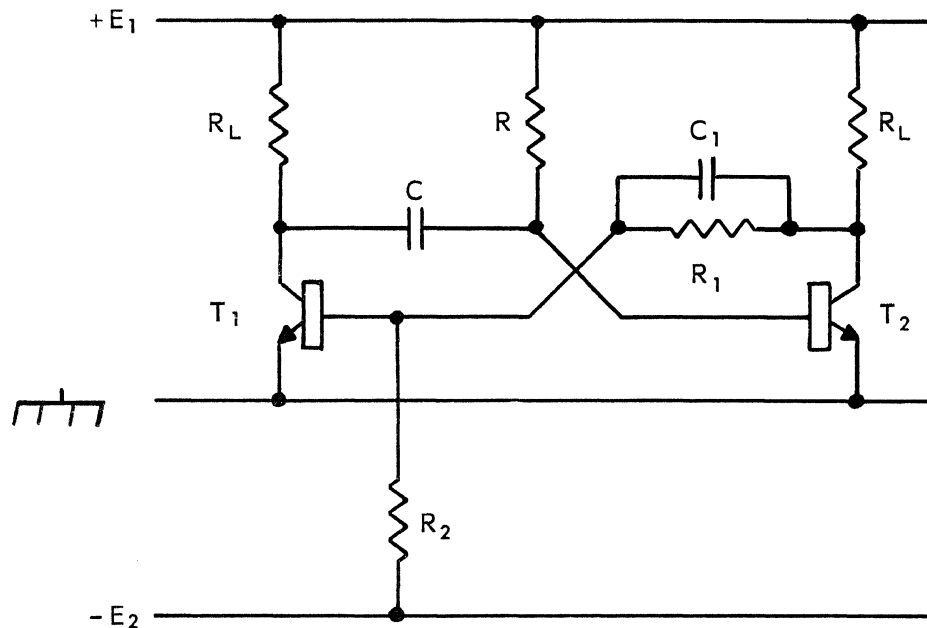


FIGURE I

The stable state for this circuit is:  $T_2$  conducting and  $T_1$  cutoff. Capacitor  $C$  is then charged to  $(E_1 - V_b)$  volts, if  $V_b$  is the base-emitter voltage of  $T_2$ .

When the circuit is triggered into its alternate state,  $C$  will discharge through  $R$  until the base of  $T_2$  is again forward biased and the circuit flips back to its stable state.

Thereby the voltage across  $R$  will drop exponentially from  $E_1 + (E_1 - V_b) = (2E_1 - V_b)$  to  $(E_1 - V_b)$ . If collector-emitter voltage of a saturated transistor and the effects of storage charge are neglected in these calculations, the pulse width can be shown to be:

$$T = RC \ln \left( \frac{2E_1 - V_b}{E_1 - V_b} \right)$$

## B. DESIGN CONDITIONS:

Limiting values for the resistors  $R$ ,  $R_1$  and  $R_2$  can easily be found from the conditions for saturation and cutoff of the transistors.

### T<sub>1</sub> Cutoff

The condition is: 
$$\frac{-R_1}{R_1 + R_2} E_2 + \frac{R_2}{R_1 + R_2} V_s + \frac{R_1 R_2}{R_1 + R_2} I_{co} < 0$$

dividing by:

$$\frac{R_1 R_2}{R_1 + R_2}$$

gives: 
$$- \frac{E_2}{R_2} + \frac{V_s}{R_1} + I_{co} < 0$$

If we neglect the collector-emitter saturation voltage  $V_s$ , the condition becomes:

$$- \frac{E_2}{R_2} + I_{co} < 0 \tag{2}$$

or 
$$R_2 < \frac{E_2}{I_{co}}$$

We have to take for  $I_{co}$  the max. value at the highest temperature and make the estimate on the high side to compensate for the neglect of  $V_s$ .

### T<sub>1</sub> Saturated

The condition required for  $T_1$  to be saturated is: 
$$I_{b1} > \frac{I_{c1}}{h_{FE}}$$

where  $h_{FE}$  is the DC current gain at  $I_{c1}$ .

$$I_{c1} = \frac{E_1 - V_s}{R_L} = \frac{E_1}{R_L} \text{ if we neglect } V_s$$

and 
$$I_{b1} = \frac{E_1 - V_b}{R_1 + R_L} - \frac{E_2 + V_b}{R_2}$$

Substituting the values of  $I_{c1}$  and  $I_{b1}$ , the condition becomes

$$\frac{E_1 - V_b}{R_1 + R_L} - \frac{E_2 + V_b}{R_2} > \frac{E_1}{R_L h_{FE}}$$

Solving for  $R_1$  yields:

$$R_1 < R_L \left[ \frac{h_{FE}}{1 + \frac{V_b}{E_1 - V_b} + \frac{h_{FE} R_L (E_2 + V_b)}{R_2 (E_1 - V_b)}} - 1 \right] \tag{3}$$

## T<sub>2</sub> Cutoff

In deriving the formula for the pulse width,  $I_{co}$  has been neglected. The effect of  $I_{co}$  is the same as of a voltage  $I_{co} R$  in series with  $R$ . The voltage across  $R$  will then drop exponentially from  $(2 E_1 - V_b - I_{co} R)$  to  $(E_1 - V_b)$  and the pulse width will be:

$$T^1 = RC \ln \left( \frac{2 E_1 - V_b - I_{co} R}{E_1 - V_b} \right) \quad (4)$$

At room temperature the influence of  $I_{co}$  can usually be neglected. But if the circuit is to operate at temperatures up to  $+70^\circ C$ , the influence of  $I_{co}$  may be severe, and the circuit will even cease to operate if  $I_{co} R = E_1$ .

This sets an absolute maximum for  $R$

$$R < \frac{E_1}{I_{co}}$$

## T<sub>2</sub> Saturated

The condition is the same as for  $T_1$  with  $R_2 \rightarrow \infty$  so that:

$$R < R_L \left[ \frac{hFE}{1 + \frac{V_b}{E_1 - V_b}} - 1 \right] \quad (5)$$

C. EXAMPLE: (See attachment)

D. MEASUREMENTS:

The actual circuit used for the measurements is that of Figure 2.

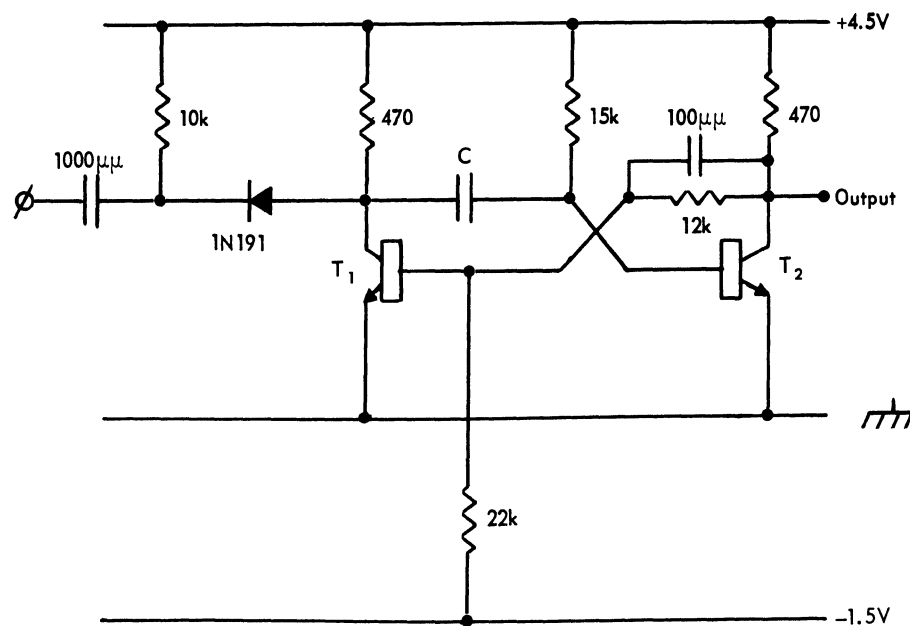


FIGURE 3

FIGURE 2

The measured pulse width vs. capacitance curve is a straight line through the origin.

$$T = 10400 C \text{ sec. at } +25^{\circ}\text{C} \quad C \text{ in farads}$$

$$T = 9300 C \text{ sec. at } +70^{\circ}\text{C}$$

The calculated curve for this circuit is:

$$T = 10740 C \text{ sec.}$$

The difference with the measured curve is only 3.3%. At +70°C the pulse width is 12½% down, which is within the predicted range.

#### RISE AND FALL TIMES

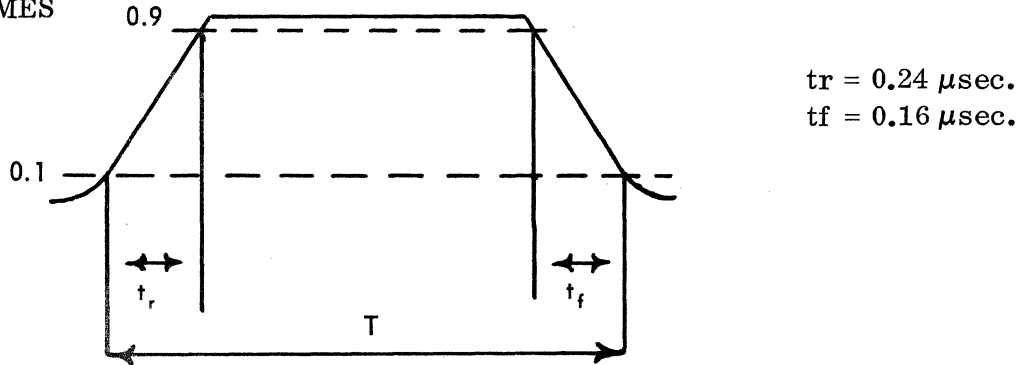


FIGURE 3

#### TRIGGER AMPLITUDE

The required trigger amplitude varies with the pulse width (see graph) and also slightly with the repetition rate. In the graph, the minimum required trigger amplitude is plotted as a percentage of the pulse amplitude vs. the pulse width.

#### DRIVER STAGE

The trigger pulses can also be applied via a driver stage instead of the diode network as in Figure 2.

The advantages are:

- minimum pulse width  $0.5 \mu\text{sec}$  compared with  $2 \mu\text{sec}$  for the diode network
- shorter rise time, ( $0.08 \mu\text{sec}$ ); the fall time does not change
- higher repetition rates (up to 750 kcs),

Example:

$$\begin{array}{lll} E_1 = 4.5V & R_L + 470\Omega & T_1 \} \\ E_2 = 1.5V & & T_2 \} \\ V_b = 0.2V & & \end{array} \left. \begin{array}{l} \text{Raytheon NPN units (such as 2N440)} \\ h_{FE} = 100 @ 1 \text{ mA} \\ \text{Alpha Cutoff} = 11 \text{ mcs} \end{array} \right\}$$

1) First a maximum value for  $R_2$  is found with (2). Here we have to use the maximum value for  $I_{co}$  at the highest temperature. Let this be  $+70^\circ\text{C}$ .

At  $25^\circ\text{C}$   $I_{co} \text{ max.} = 4 \mu\text{A}$  for the units in question, and  $I_{co}$  doubles for every  $12^\circ\text{C}$ . This gives for  $I_{co}$  at  $70^\circ\text{C}$ :

$$I_{co} (70^\circ\text{C}) = 54 \mu\text{A}$$

As pointed out, the estimate has to be made on the high side and we will take  $60 \mu\text{A}$ .

$$\text{Substitute in: (2)} \longrightarrow R_2 < \frac{1.5}{60 \times 10^{-6}} = 25000 \Omega$$

The nearest lower standard value is:  $R_2 = 22 \text{ k}\Omega \pm 10\%$

2) The next step is to calculate  $R_1$  with (3). Here we have to take the minimum value for  $h_{FE}$  at the lowest temperature. Let this be  $-50^\circ\text{C}$ . At this temperature  $h_{FE}$  will drop roughly a factor of 2 compared with the value at room temperature.

With  $h_{FE} = 40$  we find:

$$\begin{aligned} R_1 &< 28R_L = 13.2 \text{ k}\Omega \\ \text{Let } R_1 &= 12 \text{ k}\Omega \pm 10\% \end{aligned}$$

3) A minimum value for  $R$  is found with (5). Again we take  $h_{FE} = 40$  which gives:

$$R < 17.5 \text{ k}\Omega$$

The nearest lower standard value would be:

$$R = 15 \text{ k}\Omega \pm 10\%$$

4) We have to check, however, whether the influence of  $I_{co}$  is not too severe at  $70^\circ\text{C}$ .

The pulse width will be narrowed by a factor

$$\frac{T'}{T} = \frac{\ln \left( \frac{2E_1 - V_b - I_{co} R}{2E_1 - V_b} \right)}{\ln \left( \frac{2E_1 - V_b}{E_1 - V_b} \right)} \quad (6)$$

With  $I_{co} = 60 \mu\text{A}$  at  $70^\circ\text{C}$  the factor is 85% for  $R = 15 \text{ k}\Omega$ , which means a reduction of maximum 15%.

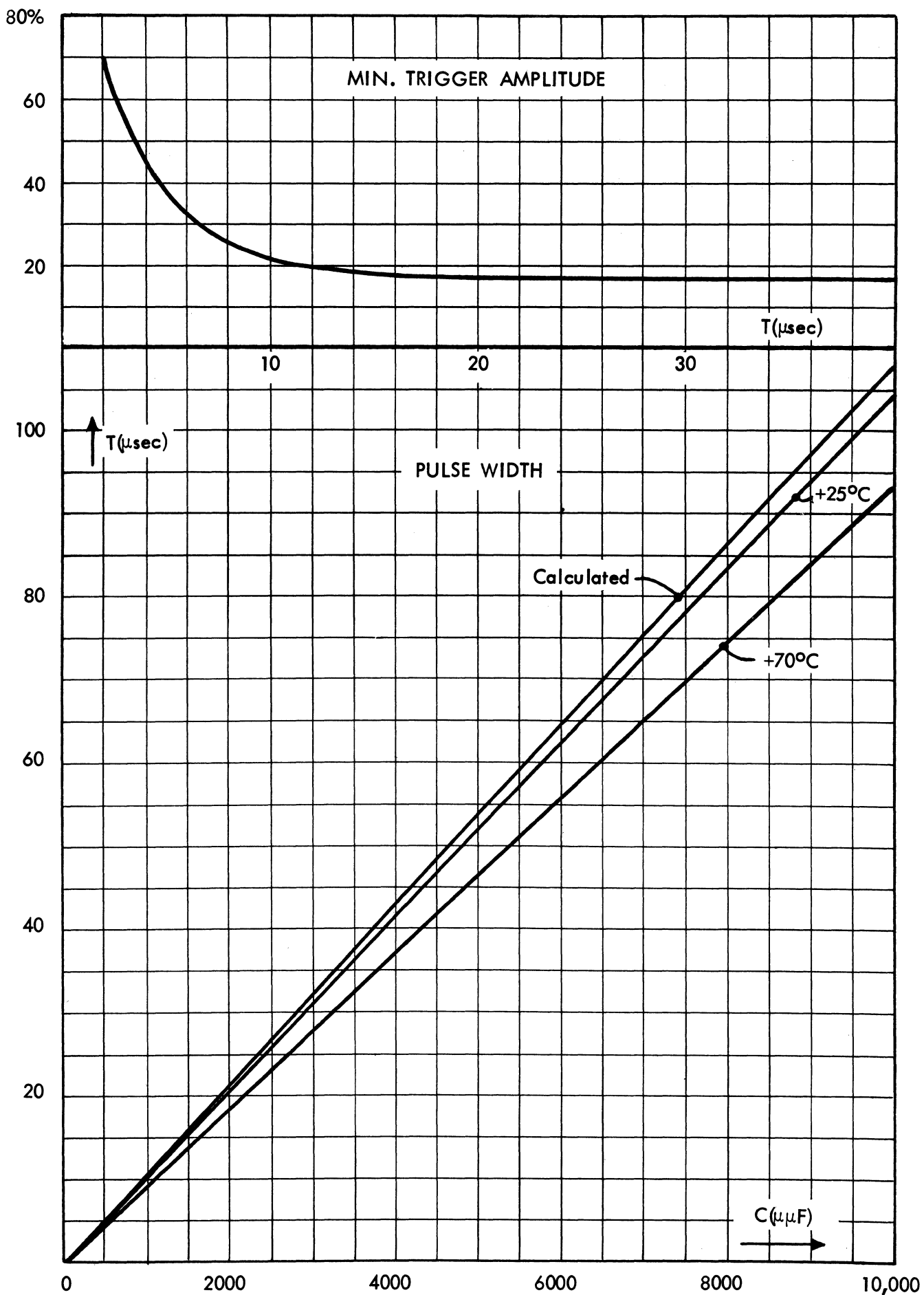


FIGURE 4